

# Unit 3: Two-Variable Data

## Interpreting Graphs

### Learning Goals

- review different types of graphs

## Stem & Leaf Plots

### Stem & Leaf Plots

Example: The marks for a Grade 12 College Math exam were as follows:

74, 67, 83, 56, 50, 76, 82, 61, 93, 50, 58, 66, 80, 86, 75, 93, 84, 80

Organize this data into a Stem and Leaf Plot

10s ↓      1s ↓

STEM	LEAF
5	0, 0, 6, 8
6	1, 6, 7
7	4, 5, 6
8	0, 0, 2, 3, 4, 6
9	3, 3

# Frequency Table

Example: Do a poll of the students in MAP 4C's favourite fast food. Organize the data into the following frequency table

Fav Food	Tally	Frequency
Pizza		5
Sub		1
Burger		2
Salad		1
Pasta		2
Hot Dog		0

## Class Interval Frequency Table

Sometimes, data is **continuous** in nature and so must be organized into intervals to be analyzed.

**Continuous Data:** Data values may be decimals.

Example: Collect the heights of the students in your class and organize them into a class interval frequency table.

Interval	Tally	Frequency
150 - 159		
160 - 169		3
170 - 179		2
180 - 189		2
190 - 199		1

## Circle Graph (Pie Chart)

- Circle divided into sectors whose areas are proportional to quantities represented.
- Central Angle is the measure of proportion in a circle graph.

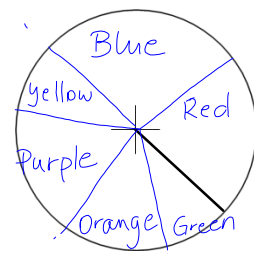
$$\text{Central Angle} = 360^\circ \times \text{percent of data}$$

### Disadvantages:

- If there are too many data points the graph is messy and confusing.
- Gives no actual values and frequency is lost.

Example: Using the following data on favorite colours, find the central angle and then create a circle graph of the data.

Colour	Frequency	Central Angle
Red	5	$\frac{5}{22} \times 360^\circ = 82^\circ$
Blue	6	$\frac{6}{22} (360) = 98^\circ$
Yellow	2	$33^\circ$
Purple	4	$65^\circ$
Orange	3	$49^\circ$
Green	2	$33^\circ$
Total	22	$360^\circ$



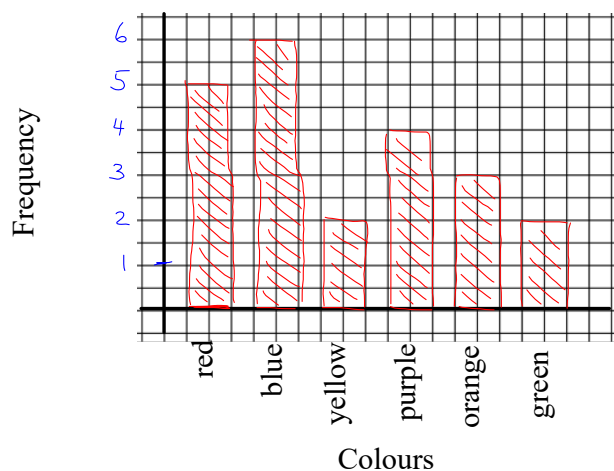
## Bar Graph

- Must include: a title, description on each axis, height of the bars are readable from graph, spacing between bars.

### Disadvantages:

- Can only be used to represent 1 variable.
- Depending on horizontal axis scale, relative frequency can be misleading.

Example: Use the frequency table above for favourite ~~fast food~~ colours in your class and display this data in a bar chart.



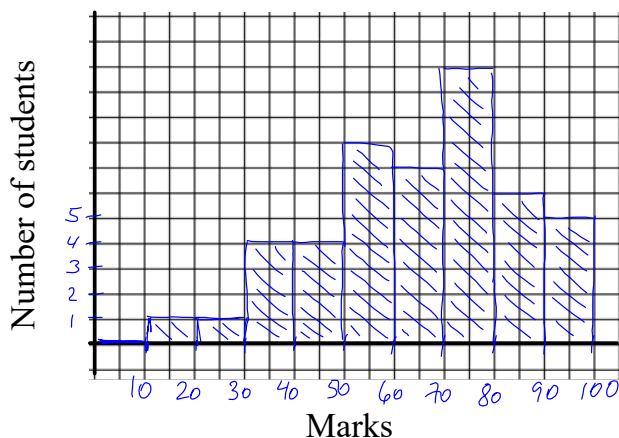
# Histogram

- Similar to a bar graph.
- Horizontal axis is divided into equal intervals or bins.
- Intervals or bins must be constant.
- Must include: Title, description on axes, no spaces between bars

Disadvantages Specific data points are lost due to intervals.

Example: Using the frequency table below, create a histogram to display this data.

Marks	Number of Students
0-10	0
10-20	1
20-30	1
30-40	4
40-50	4
50-60	8
60-70	7
70-80	11
80-90	6
90-100	5



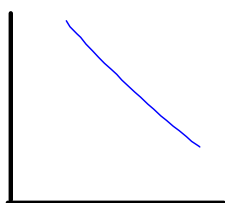
# Slope and Line Graphs

What is slope?

Slope is the rate of the change of a straight line.

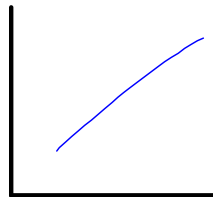
*Negative Slope*

-Goes down to the right



*Positive Slope*

-Goes up to the right



# The Equation of a Line

$$y = mx + b$$

m is the slope

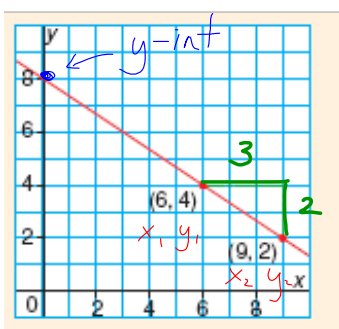
$$m = \frac{\text{rise}}{\text{run}}$$

$$= \frac{y_2 - y_1}{x_2 - x_1}$$

b is the y-intercept  
where the line crosses the y-axis

## The Equation of a Line

Find the equation of the line shown below:



First choose two points and find the slope:

$$m = \frac{\text{rise}}{\text{run}}$$

$$= -\frac{2}{3}$$

graph is  
going down

$$m = \frac{y_2 - y_1}{x_2 - x_1}$$

$$= \frac{2 - 4}{9 - 6}$$

$$= -\frac{2}{3}$$

Then sub in the slope and one point into  $y = mx + b$  to find the y-intercept:

$$y = mx + b$$

$$4 = \left(-\frac{2}{3}\right)(6) + b$$

any  
point on the  
line

Therefore, the equation of the line is:

$$y = -\frac{2}{3}x + 8$$

$$4 = -\frac{12}{3} + b$$

$$4 + \frac{12}{3} = b$$

$$4 + 4 = b$$

$$8 = b$$

# Seatwork

pg 126 # 1 - 4